

1 River bulge evolution and dynamics in a non-tidal sea – Dau- 2 gava River plume in the Gulf of Riga, Baltic Sea

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7

8 **Abstract**

9 Satellite remote sensing imagery and numerical modelling were used for the study of river bulge
10 evolution and dynamics in a non-tidal sea, the Gulf of Riga (GoR) in the Baltic Sea. Total suspended
11 matter (TSM) images showed a clearly formed anti-cyclonically rotating river bulge from Dau-
12 gava River discharge during the studied low wind period. In about 7-8 days the bulge grew up to 20
13 km in diameter, before being diluted. A high resolution (horizontal grid step of 125 m) General Es-
14 tuarine Transport Model (GETM) was used for detailed description of the development of the river
15 plume in the southern GoR over the period when satellite images were acquired. In the model simu-
16 lation, bulge growth rate was estimated as $r_b \sim t^{0.5 \pm 0.04}$ ($R^2=0.90$). Both the model simulation and the
17 satellite images showed that river water was mainly contained in the bulge and there were numerous
18 intrusions at the outer perimeter of the bulge. We made numerical sensitivity tests with actual ba-
19 thymetry and measured river runoff without wind forcing: 1) having initial 3-dimensional density
20 distribution; 2) using initially a homogeneous ambient density field. In the first case, the anti-
21 cyclonic bulge did not develop within the course of the model simulation and coastal current was
22 kept offshore due to ambient density-driven circulation. In the second case, the river plume devel-
23 oped steadily into an anti-cyclonically recirculating bulge, with $r_b \sim t^{0.28 \pm 0.01}$ ($R^2=0.98$), and a coastal
24 current. Additional simulations with constant cross-shore and alongshore winds showed a signifi-
25 cant effect of the wind in the evolution of the river bulge, even if the wind speed was moderate (3-4
26 m s⁻¹). While previous studies conclude that mid-field bulge region is governed by balance between
27 centrifugal, Coriolis and pressure gradient terms, our study showed that geostrophic balance is valid
28 for the entire mid-field of the bulge, except during the 1-1.5 rotation period at the beginning of the
29 bulge formation. In addition, while there is discharge into the homogenous GoR in case of high in-
30 flow Rossby number, the river inflow might split into two jets, with strong mixing zone in-between,
31 in the plume near field region.

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1 **1 Introduction**

2 River water entering a coastal ocean typically forms a buoyant plume with an expanding anti-
3 cyclonically rotating bulge near the river mouth and a coastal current in the coastally trapped wave
4 direction (Fong & Geyer, 2002). Coastal currents are favoured in the case of low-discharge condi-
5 tions and downwelling winds, while bulge formation is favoured during high-discharge conditions
6 and upwelling winds (Chant et al., 2008). The anti-cyclonically recirculating bulge is characteristic
7 of the surface advective plume (Yankovsky and Chapman, 1997) being a prominent feature in rotat-
8 ing tank experiments and numerical simulations under ideal conditions (Avicola and Huq, 2003;
9 Horner-Devine et al. 2006; Thomas and Linden 2007). Approximately 25-70% of river water is
10 trapped in the bulge (Fong and Geyer, 2002).

11

12 Observational studies confirm that the bulge is a naturally occurring phenomenon with many rivers
13 (Chant et al., 2008, Horner-Devine et al., 2008, Horner-Devine, 2009; Valente and da Silva, 2009;
14 Saldias et al., 2012; Hopkins et al., 2013; Mendas et al., 2014; Pan et al., 2014; Fernández-Nóvoa et
15 al., 2015), but an anti-cyclonic rotation inside a bulge is observed seldom (Kudela et al., 2010,
16 Horner-Devine, 2009; Chant et al., 2008). Observations of the evolution of the bulge over a certain
17 time period are almost non-existent, with the exception of the Niagara River plume (Horner-Devine
18 et al., 2008) and the Tagus estuary plume (Valente and da Silva, 2009). However, both cases are
19 without clear evidence of anti-cyclonic circulation within the bulge.

20

21 In natural conditions, the evolution of the bulge is affected by properties of the outflow (Yankovsky
22 and Chapman 1997; Avicola and Huq 2003a), tides (Valente and da Silva, 2009), wind (Dzwonkow-
23 ski and Yan, 2005; Whitney and Garvine 2005) and the ambient coastal current (Fong and Geyer
24 2002). Thus, the evolution of the structure and circulation inside the bulge is difficult to observe.
25 Exploitation of optical satellite remote sensing has extended the possibilities of monitoring and un-
26 derstanding the river plume dynamics under various hydrological, morphological and hydrodynam-
27 ical conditions. A number of existing papers provide composite maps, where plume location and
28 structure is described in response to prevailing wind conditions. Neither evolution of the bulge nor
29 anti-cyclonic circulation within it can be identified from the composite satellite remote sensing im-
30 ages. Although each river plume can be considered as specific, Horner-Devine et al. (2015) have
31 summarized the dynamics of an anti-cyclonically rotating bulge, with special emphasis on the river
32 water volume re-circulating within the bulge. In their study, with reference to Nof and Pichevin
33 (2001), they summarize that with stronger anti-cyclonic circulation within the bulge, more water
34 recirculates in the bulge.

1

2 The aim of the present paper is to provide additional evidence of a well-developed anti-cyclonically
3 rotating river bulge, using consecutive optical remote sensing images from a non-tidal sea and to
4 assess current theoretical understanding of river bulge internal structure and dynamics from the
5 complementary numerical model simulation results. We focus on the evolution of an anti-
6 cyclonically rotating bulge during one life-cycle, i.e. from its formation until its dilution with ambi-
7 ent water. The horizontal expansion of the bulge from remote sensing imagery and the reproduction
8 by numerical simulation are compared with modelled undisturbed bulge development and existing
9 theoretical knowledge. The bulge depth, volume of the river water trapped in the bulge and the
10 movement of the bulge centre are evaluated from model experiments. The validity of gradient wind
11 (or cyclostrophic) balance (see equation (2) below) is evaluated for specific time instants in the
12 mid-field region of the plume.

13

14 The eastern sub-basin of the Baltic Sea, the Gulf of Riga (GoR), is used as the study area (Fig. 1a).
15 The GoR is almost bowl-shaped, has brackish water and is semi-enclosed (connection with the Bal-
16 tic Sea through the Irbe Strait, 25 m deep, minimum cross-section area 0.4 km^2 and through the
17 Virtsu Strait which is 5 m deep, minimum cross-section area 0.04 km^2). The circulation in the GoR
18 is mainly driven by wind forcing and 3-dimensional density gradient forcing (Raudsepp et al. 2003,
19 Soosaar et al., 2014, Lips et al. 2016). The mean circulation in spring consists of two main gyres,
20 with the cyclonic gyre covering the eastern and the anti-cyclonic gyre covering the western part of
21 the GoR (Soosaar et al. 2014 Fig. 2.). This two-gyre system may transform into a single anti-
22 cyclonic gyre/cyclonic gyre covering most of the basin area during the warm/cold season (Lips., et
23 al., 2016). Small tidal oscillation ($O [0.01-0.1 \text{ m}]$; Keruss and Sennikovs, 1999) allows us to con-
24 sider it as a non-tidal estuary. The main freshwater source for the GoR is Daugava River in the
25 south-east with a high discharge of $2500 \text{ m}^3 \text{ s}^{-1}$ in early spring, which decreases to $200 \text{ m}^3 \text{ s}^{-1}$ in late
26 summer. The present study concentrates on the period from the last 12 days of March and early
27 April 2007, when there was a high discharge of $\sim 2500 \text{ m}^3 \text{ s}^{-1}$ and low wind.

28

29 **2 Materials and methods**

30 **2.1 Satellite Data**

31 ENVISAT/MERIS (Medium Resolution Imaging Spectrometer) data with a 300m resolution from
32 the CoastColour database (<http://www.coastcolour.org/data/archive/>) was used for monitoring bulge
33 dynamics and structure. MERIS was designed to monitor coastal waters (Doerffer et al. 1999), and

1 therefore, it has sufficient spectral resolution in the range of wavelengths above 555 nm for moni-
2 toring turbid and optically complex waters like the Baltic Sea (Gitelson et al. 2009). MERIS image-
3 ry was preferred to other similar sensors (e.g MODIS) as (i) MERIS based water quality retrievals
4 in optically complex case-2 waters of the Baltic Sea are more accurate due to better performance of
5 the atmospheric correction algorithm (Goyens et al. 2013). In addition, (ii) MERIS has higher spa-
6 tial resolution (300m), which enables to resolve detailed features of the river bulge. The MERIS
7 images were processed using the Case-2 Regional (C2R) algorithm (Doerffer and Schiller 2007,
8 Doerffer and Schiller 2008) in the BEAM software package ([http://www.brockmann-
9 consult.de/cms/web/beam/](http://www.brockmann-consult.de/cms/web/beam/)) in order to apply atmospheric correction and to obtain the reflectance
10 values used for TSM retrieval. The pixel quality flags/masks provided in the Level1 Coast Colour
11 product and in the Level 2 C2R product were used to mask the invalid pixels affected by the follow-
12 ing phenomena: land, whitecaps, sun glint, cloud, cloud shadow, snow and ice. The C2R algorithm
13 has been validated in various locations in the optically complex waters of the Baltic Sea and it has
14 proven to be suitable for water quality monitoring (e.g. Siitam et al 2014, Attila et al. 2013, Vaičiūtė
15 et al 2012). We used total suspended matter (TSM) concentrations as a marker to distinguish turbid
16 river water from “clear sea water” as TSM shows stronger contrast compared to other biological
17 and physical parameters (SST, CHL etc). Moreover, a comparative study by Beltrán-Abaunza et al.
18 (2014) showed that TSM concentrations are more accurately retrieved by different standard remote
19 sensing algorithms (including C2R) than other water constituents. An overall of seven sufficiently
20 cloud free images were available from 20, 26, 27, 29, 30 March and 1 and 4 April. The images were
21 acquired at about 9 a.m.UTC. The satellite data was interpolated to a regular 0.3 km x 0.3 km grid
22 on the UTM-34v projection. Then the TSM concentrations were smoothed using a 3x3 point median
23 filter.

24

25 **2.2 River runoff and wind data**

26 Daily volume flux for Daugava River was measured 35 km upstream from the river mouth (coordi-
27 nates – 56.8516 N; 24.2728 E). Daily volume flux for Gauja and Lielupe rivers (*see* Fig. 1 for loca-
28 tions) was calculated from measured data. As locations of measurement stations are 55 km and 95
29 km from the river mouth, the measured data was multiplied by factors 1.05 and 1.87 respectively¹,
30 in order to obtain river discharge at the river mouth. The coefficients are obtained as a ratio between
31 the whole catchment area of those rivers and the catchment area of those rivers up to the stations
32 where the river flow was measured.

¹Methodology worked out and in use for Gauja and Lielupe rivers in LVGMC - Latvian Environment, Geology and Meteorology Centre Institute. <http://www.meteo.lv/en/>.

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Wind data at one hour intervals was obtained from Ruhnu weather station, which is located on the Ruhnu Island in the central area of the Gulf of Riga (Fig. 1 and 2).

2.3 Numerical model setup: GETM

For numerical simulation we used the fully baroclinic and hydrostatic ocean model GETM (General Estuarine Transport Model (Burchard and Bolding, 2002)) that is coupled to the GOTM (General Ocean Turbulence Model (Umlauf and Burchard, 2005)) for vertical turbulence parameterization. The GETM uses a spherical coordinate system in the horizontal plane and a bottom-following vertical coordinate system. Using a mode splitting technique, GETM solves water dynamics on the Arakawa C-grid (Arakawa and Lamb, 1977). The GETM is characterized by advanced numerical techniques of advection schemes and internal pressure discretization schemes that minimize computational errors (Stips et al., 2004; Burchard and Rennau, 2008). In our setup we used the total variance diminishing (TVD) advection scheme for salinity, temperature and momentum (Pietrzak, 1998) and internal pressure parameterization suggested by Shchepetkin and McWilliams (2003). In our setup we used the third-order monotone total variance diminishing (TVD) advection scheme with the P2-PDM limiter and a half step directional split approach for salinity, temperature and momentum (Pietrzak 1998, Klingbeil 2014). Temporal discretization was conducted with a coupled explicit mode splitting technique for barotropic and baroclinic modes.

The model domain covered the GoR with closed boundaries at the Irbe Strait and the Virtsu Strait. In the study by Soosaar et al. (2014), comparison of monthly mean circulations, with the Irbe and Suur straits being either closed or opened, showed only minor differences that occur mostly near the straits. The coefficient of determination between the two cases for April 1998 was $R^2=0.93$. Our analyses of model simulations concentrate on the south-eastern part of the GoR where the effect of closed straits is expected to be negligible over the simulation time period of two weeks. Topography was prepared using The Baltic Sea Bathymetry Database (BSHC 2013) and interpolated to a 125 m regular grid. Depths at the head of Daugava were adjusted to include Riga harbour fairway (depth 7 m). The vertical water column was split into 30 density adaptive layers, giving a vertical resolution of under 0.5 m within the stratified bulge area (Gräwe et al. 2015). The barotropic time step was three seconds and the baroclinic time step 60 seconds. Hourly river run-off input from the measurements of three rivers, Daugava, Lielupe and Gauja, were included. Daugava run-off was equally distributed over 7 grid cells. The meteorology was adopted from the EMCWF ERA-Interim dataset with a lateral resolution of $1/4^\circ$ and a temporal resolution of 6 h (Dee et al., 2011).

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2 The model simulation covered the period from 20 March to 5 April 2007. Initial salinity fields were
3 interpolated from the 1 nautical mile simulation for the Baltic Sea (Maljutenko and Raudsepp
4 2014). The density only depended on salinity. A 3-day spin-up period with a realistic salinity field
5 and a linear increase of river run-off from zero to the measured river run-off value on 20 March
6 2007 was used before including wind forcing on 20 March (real simulation). TSM was used as a
7 passive tracer for the detection of river water spreading in the model simulation. Initial TSM con-
8 centration was set to zero in the GoR and the TSM concentration in river water was set to a unit
9 value. The passive tracer was released to the GoR only as the Daugava River load of TSM, being
10 proportional to the Daugava River runoff starting from 20 March.

11

12 **2.4 Model validation**

13 In situ measurements suitable for the model validation from the study area during high Daugava
14 River runoff are ferry-box measurements on board the ship travelling between Riga and Stockholm.
15 The available measurements for the estimation of the ability of the model to reproduce Daugava
16 River bulge dynamics cover the period from 20 March to 4 April 2014. This period comprises the
17 increase of the Daugava River runoff from $600 \text{ m}^3 \text{ s}^{-1}$ to the peak value of $1100 \text{ m}^3 \text{ s}^{-1}$ and the de-
18 crease of the runoff to $800 \text{ m}^3 \text{ s}^{-1}$ (Fig. 3a). In total, eight transects from the Daugava River mouth
19 to the central GoR with 2-day intervals fall into the period (Fig. 1). The model setup for the valida-
20 tion run was made similarly to the one described in Sec. 2.3. The daily river run-off input from the
21 measurements of the Daugava River was included. The meteorology was adopted from the
22 HIRLAM-ETA dataset, with a lateral resolution of 11 km and a temporal resolution of 3 h (Unden et
23 al., 2002). Initial salinity fields were interpolated from the HIROMB 1 nautical mile simulation for
24 the Baltic Sea on 20 March 2014 (Funkquist and Kleine, 2000). The density only depended on sa-
25 linity. No spin-up period was included.

26

27 The mid-field bulge front can be characterized as the location of maximum salinity gradient. We
28 calculated the salinity gradient along the ship transect from measurements and model results. Max-
29 imum gradient location from in situ measurements stayed mostly at 5 km from the river mouth (Fig.
30 3c). There are two exceptions, on 29 March and 2 April, when the maximum gradient was located at
31 10 km (Fig. 3c) following a period of wind to the west (Fig. 3b). In the model simulation, the bulge
32 front increased from 1 km on 21 March to 15 km on 24 March. That period corresponded to the
33 period of increase of river runoff and low winds (Fig. 3a,b). From the evening of 24 March the wind
34 speed increased and the bulge was destroyed. The front retreated to a position at 1 km from the river

1 mouth. The bulge started to increase on 27 March and reached a maximum extent of 20 km on the
2 night of 28 March. This corresponded to a peak in river runoff and calm winds. During the rest of
3 the simulation period, the bulge front remained between 2 and 10 km. The root mean square deviation
4 between the locations of simulated and observed bulge front was 2.4 km.

5

6 **3 Results**

7 **3.1 Satellite imagery and model simulation**

8 The first satellite image on 20 March showed the development of three river plumes. The Daugava
9 River plume was far larger (about 8 km in diameter) than Gauja and Lielupe river plumes (Fig. 4a)
10 which can also be seen on the numerical model (Fig. 4h). The wind conditions favoured the devel-
11 opment of river plumes. From 15 to 19 March wind speed increased from 2 to 10 m s⁻¹ (Fig. 2b),
12 which could have generated sufficient mixing to destroy previously formed river plumes as well as
13 preventing the development of a clearly distinguishable river plume. Just prior to the first satellite
14 image, the wind speed dropped from 11 m s⁻¹ to 2 m s⁻¹, which may have considerably reduced
15 wind mixing and enabled the free development of river plumes. From 17 to 20 March Daugava
16 River discharge increased from 1500 m³ s⁻¹ to 2500 m³ s⁻¹ (Fig. 2a). The discharges of Lielupe and
17 Gauja rivers were 230 m³ s⁻¹ and 180 m³ s⁻¹ respectively. The river plumes were well distinguisha-
18 ble, as the ambient TSM concentrations was 2 g m⁻³, compared to 20 g m⁻³ in the bulge centre, in
19 the southern part of the GoR (Fig. 4a). In all three cases, the river water had most likely initially
20 spread offshore, then turned to the right and formed a coastal current. In the bulge, current veloci-
21 ties were up to 50 cm s⁻¹, while ambient currents were about 5 cm s⁻¹ (Fig. 4h). All three plumes
22 consisted of a bulge area and a coastal current (Fig. 4a). Coastal current was detached from the
23 coast, leaving a stripe of lower TSM water near the coast (Fig. 4a,h). The offshore location of the
24 maximum currents parallel to the coast and a counter-current at the coast (Fig 4h) were remnants of
25 the previous spreading of river water along with wind- and density-driven currents in the GoR.

26

27

28 Checking the sequence of tracer spreading in the numerical model showed that the plume on 26
29 March was the result of the re-initiation of the river plume on 24 March. The winds of 6 m s⁻¹ from
30 the northeast had hampered the free development of the river plume by mixing river water and
31 transporting it offshore. The Daugava River bulge had a diameter of ~16 km (Fig. 4b). The core of
32 the bulge was almost circular, with many intrusions along the outer rim. In the core of the bulge,

1 freshly discharged water with high TSM concentration formed a jet with an anti-cyclonic spreading
2 pattern along the left side of the bulge. The existence of coastal current could not be verified on the
3 satellite image and the bulge manifested itself as more of a separate feature of the plume. The
4 coastal current had formed as a narrow band pressed against the coast in the numerical model (Fig.
5 4i). As shown in Sec. 3.2, the northeast wind may push the bulge offshore and cause several intru-
6 sions at the open sea area of the bulge (Fig 6b). Model simulation showed strong background anti-
7 cyclonic circulation of about 20 cm s^{-1} in the south-eastern GoR (Fig. 4i). The Gauja River plume
8 consisted of a bulge area and a coastal current attached to the coast. The Lielupe River plume was
9 almost undetectable, as the volume discharge had decreased to $130 \text{ m}^3 \text{ s}^{-1}$.

10
11 During the next 4 days, i.e. until 30 March, the wind speed was very low, between 0 and 3 m s^{-1} . We
12 may assume that wind-driven currents and mixing were negligible. The Daugava River bulge re-
13 mained almost circular and further detached from the coast (Fig. 4c-e, i-l). The main feature within
14 the bulge was anti-cyclonically turning river water with high TSM concentration (Fig. 4c-e) and
15 well-established anti-cyclonic circulation in the bulge, with a characteristic current speed of 20 cm
16 s^{-1} (Fig. 4i-l). This gives direct confirmation that water in natural buoyant bulges circulates anti-
17 cyclonically in the northern hemisphere. More water intruded the southern GoR at the western
18 boundary of the bulge. Even weak onshore wind may cause significant intrusions at the western
19 boundary of the bulge (Fig 6d). This intrusion spread anti-cyclonically, probably due to ambient
20 circulation, and diluted with surrounding water. No clear coastal currents were visible.

21
22 By 1 April, the wind speed had increased to 4 m s^{-1} and was blowing from the north. Daugava River
23 discharge had reduced from ~ 2000 to $\sim 1500 \text{ m}^3 \text{ s}^{-1}$ (Fig. 2). The image from 1 April still showed a
24 circular bulge with a notably smaller TSM concentration than previously (Fig. 4f). The bulge had
25 been transported westward and was nearly detached from the Daugava River outlet. The numerical
26 model captured the tendency of westward transport of the bulge from 30 March to 1 April, but the
27 bulge was more distorted (Fig. 4 m). The strong wind event of 10 m s^{-1} on 2 April had destroyed the
28 bulge and river water with higher TSM concentration had smeared over the southern GoR by 4
29 April (Fig. 4g,n).

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1 **3.2 Idealized simulations**

2 In the realistic model simulation, the Daugava River plume was affected by river discharge, ambient
3 currents and wind-driven currents. We made numerical sensitivity tests with 1) river discharge into
4 a stratified GoR, while wind forcing was switched off; 2) river discharge into a homogeneous GoR
5 with an ambient water salinity of 6 g kg^{-1} which is the long term average value for the salinity in the
6 central GoR (Raudsepp 2001, Fig. 2b), while wind forcing was switched off (ideal simulation). In
7 the first case, the anti-cyclonic bulge did not develop within the course of the model simulation and
8 the coastal current was kept offshore due to ambient circulation (Fig. 5a). In the ideal run, river
9 plume developed steadily into an anti-cyclonically recirculating bulge and a coastal current (Fig.
10 5b). The bulge length (offshore extent) and width (along-shore extent) as well as the width of the
11 coastal current increased steadily in the course of the model simulation.

12
13 Additional simulations with cross-shore and alongshore winds were made with wind speeds of 2
14 and 4 m s^{-1} . A wind speed of 2 m s^{-1} caused minor, if any, alterations in the case of all wind direc-
15 tions (not shown). A wind speed 4 m s^{-1} altered the bulge in agreement with the classical Ekman
16 transport theory. The alongshore downwelling favourable wind pushed the bulge towards the coast
17 and the coastal current was well-developed (Fig. 6a). The alongshore upwelling favourable wind
18 pushed the bulge offshore, so that the bulge was detached from the coast and no coastal current de-
19 veloped (Fig 6b). The bulge had irregular shape with several intrusions at the open sea area of the
20 bulge. In case of offshore wind, the bulge mid-field region was less uniform, closer to the coast and
21 coastal current was enhanced (Fig. 6c). Onshore wind tilted the bulge to the upcoast direction, with
22 significant intrusions at the upcoast rim of the bulge (Fig. 6d). Coastal current was restrained and
23 had an irregular shape. Thus, comparison of the real run with test cases showed a significant effect
24 of wind in the evolution of the river bulge, even if wind speed was moderate (*see* Fig. 2b).

25

26 **3.3 Temporal evolution of the bulge**

27 The evolution of the river bulge is classically described by the spreading of the offshore front of the
28 bulge and an increase of bulge depth (e.g. Avicola and Huq 2003, Horner-Devine et al. 2006). There
29 are uncertainties in the determination of the edges of a bulge as well as the volume of a bulge. In
30 natural conditions, diffusion and mixing at the edges dilutes river water with surrounding water
31 (Horner-Devine et al. 2015). Multiple previous studies defined the bulge edge based on a preselect-
32 ed threshold value. Horner-Devine et al. (2006) chose a constant 20% buoyancy contour as the ref-

1 erence value. Gregorio et al. (2011) used a reference velocity, 1.7cm/s, to define the coastal current
2 front. Soosaar et al. (2015) defined the bulge edge to be 10% of the discharge depth.

3
4 We used TSM concentration to define the bulge boundary. Our main criterion was to capture the
5 circular part of the bulge and neglect coastal current as well as most of the intrusions. In the numer-
6 ical model, the bulge boundary was defined where $I = \log_{10}(TSM) > -0.15$. Different values of $I > -0.05$,
7 -0.10 , -0.20 , -0.25 were also used for the bulge boundary. The bulge radius and mean depth in-
8 creased with decreasing I (Fig. 7b for radius, mean depth not shown), but the dynamics of the bulge
9 did not depend on the selected threshold value for the bulge boundary.

10
11 We compared the temporal evolution of mean depth, radius and volume of the real and the ideal
12 bulge from the numerical model. In order to be consistent with previous river bulge studies (Horner-
13 Devine, 2009; Horner-Devine et al., 2008; Horner-Devine et al., 2006), the bulge effective radius,
14 r_b , was estimated through the area of the bulge, A_b , assuming a circular shape of the bulge

$$16 \quad r_b = \left(\frac{A_b}{\pi} \right)^{\frac{1}{2}}. \quad (1)$$

17
18 According to the criterion of the bulge definition, the bulge is defined after about $0.5T$, where T is
19 rotation period of the earth (Fig. 7a, b) and $T=0 \equiv 24$ March 2007 05:00. Steady increase of the real
20 bulge took place during seven rotation periods. Both mean depth and radius as well as the volume
21 were larger for the real bulge than for the ideal bulge. We would like to note the pulsation of the real
22 bulge - when bulge diameter increased, bulge mean depth decreased and vice versa. The decrease of
23 the bulge diameter was faster than the decrease of bulge mean depth during the dissipation phase,
24 which started from $7T$. Occasionally, bulge depth even increased implying that water in the bulge
25 was mixed deeper during the dissipation phase.

26
27 The volume of river water that went into the bulge increased relatively fast during the first two rota-
28 tion periods (Fig. 7c). In the real case, almost 60% of river water was trapped inside the bulge,
29 while in the ideal case the volume reached 45%. We estimated the volume that was transported
30 away by the coastal current. In order to be consistent with our bulge definition, we calculated water
31 flow at the transect through the model grid cells where $I > -0.15$. During $2T$, a negligible amount of
32 river water was transported by the coastal current. During $2T$ the fraction of river water inside the
33 bulge decreased monotonically, while the volume of coastal current increased (not shown). In the

1 real case, water volume in the bulge increased until the bulge started to dissipate, but steadily re-
 2 tained its 50 % river water content. The fraction of river water started to increase from 4T, but did
 3 not exceed 5% until the end of the simulation. In the case of the real bulge, our estimations showed
 4 that about 50% of river water could be determined as either coastal current or as bulge due to intru-
 5 sions and mixing at the boundaries of the bulge and the coastal current (*see* Fig. 4), unless we
 6 broaden the definition of the bulge. Still, it is obvious from satellite images and simulation results
 7 that a far larger amount of river water stayed within the bulge and was transported offshore by in-
 8 trusions than the amount that formed a coastal current. In the ideal bulge, the fraction of river water
 9 decreased after 2T, while the coastal current increased. During 11T, the fraction of volume in the
 10 bulge and in the coastal current equilibrated. Thus, we may conclude that in the present case of the
 11 Daugava River plume, density- and wind-driven currents oppose the development of the coastal
 12 current.

13
 14 The bulge radius was non-dimensionalized with the bulge Rossby radius

$$16 \quad L_b = \left(\frac{2Qg'}{f^3} \right)^{\frac{1}{4}} \quad (2)$$

17
 18 where Q is river runoff. In our case, the bulge Rossby radius varied between 2.7 and 3.1 km in time,
 19 according to the actual runoff of the Daugava River. Time series of increase of non-dimensional
 20 bulge radius from numerical simulations are presented in Fig. 7d. We approximated the growth rate
 21 of the bulge radius using a power function. In the real case, we excluded the time period when the
 22 bulge started to dissipate, i.e. maintaining the values up to 8T. The real and the ideal simulations
 23 gave $r_b \sim t^{0.50 \pm 0.04}$ and $r_b \sim t^{0.28 \pm 0.01}$, with the coefficients of determination being $R^2=0.90$ and $R^2= 0.98$,
 24 respectively. Thus, in the real model simulation, the growth of the bulge radius was faster than in
 25 the ideal simulation. It can be explained by prevailing upwelling favourable winds (Fig. 2b,c) which
 26 even with a speed of 3-4 m s⁻¹ restrained the development of a coastal current and retained more
 27 water in the bulge (Fig. 6b). Using thermal wind balance, Avicola and Huq (2003) estimated the
 28 growth rate of the bulge radius $r_b \sim t^{1/4}$, although in the laboratory experiments they obtained the
 29 growth rate $r_b \sim t^{2/5}$. From laboratory experiments, Horner-Devine et al. (2006) estimated that a
 30 buoyant surface advective bulge expands radially as $\sim t^{1/4}$ during the first 5 rotation periods and later
 31 as $\sim t^{2/5}$. The measurement study for the Niagara River bulge (Horner-Devine et al., 2008) gave
 32 $\sim t^{0.46 \pm 0.29}$.

33

1 3.4 Bulge momentum balance

2 The dynamics of the river bulge are described as balance between centrifugal, Coriolis and pressure
3 gradient terms:

$$4 \frac{v_{\theta}^2}{r} + fv_{\theta} = g' \frac{\partial h}{\partial r} \quad (3)$$

6
7 as hypothesized by Yankovsky & Chapman (1997) and confirmed by Horner-Devine (2009) for the
8 Columbia River plume. In (3), the v_{θ} is depth averaged angular velocity, r is radial distance from the
9 bulge centre, f is Coriolis' parameter, g' is reduced gravity and h is bulge thickness. Left side of the
10 equations is centrifugal (T1) and Coriolis term (T2) respectively, right side of the equation is pres-
11 sure gradient term (T3). We calculated these terms for the case of the real bulge and the ideal bulge
12 development on 29 March 2007 at 20:00 (Fig. 8). As was the case previously, the bulge was defined
13 where $I > -0.15$. The currents were strongest at the steepest slope of the bulge (Fig. 8a, b). Although
14 the ideal and real bulges were similar quantitatively, the bulge centre was much closer to the coast
15 (3 km) for the ideal bulge than for the real bulge (6 km). The outer thin area of the ideal bulge was
16 wider than in the case of the real bulge. All terms in (3) showed higher absolute values at the steep-
17 est slope of the bulge (Fig. 8c-h). With the exception of the near field region, the centrifugal force
18 was nearly an order of magnitude smaller than the Coriolis' term and the pressure gradient term.
19 Geostrophic balance was valid for the entire mid-field of the bulge (Fig. 8m, n). Taking into account
20 the balance, (3), the error even increased slightly (Fig. 8o, p).

21
22 We calculated the time series of spatially averaged momentum balance terms, Eq. (3), for the ideal
23 (Fig. 9a) and the real bulge (Fig. 9b). In the case of the ideal bulge, all three terms contributed sig-
24 nificantly to the momentum balance during the initial phase of bulge development, i.e. up to 1T
25 (Fig. 9a). Between 1T and 2T the contribution from the centrifugal force decreased, so that this term
26 became nearly an order of magnitude smaller than the Coriolis term and the pressure gradient term.
27 In the case of the real bulge, the centrifugal force also decreased during 1T and 2T (Fig. 9b). How-
28 ever, already at the beginning, the initial value of the centrifugal force was an order of magnitude
29 smaller than the Coriolis and pressure terms. The Coriolis and pressure gradient terms does not have
30 clear increasing or decreasing trend.

31

32

1 **4 Discussion**

2 A prominent feature in the satellite images and the model simulations was a well-developed anti-
3 cyclonic circulation in the river bulge, which persisted for about 7-8 days. High river discharge and
4 low wind conditions enabled undisturbed development of the bulge. The ideal model simulation
5 showed that the bulge continued to develop steadily for at least 10 rotation periods. Horner-Devine
6 et al. (2006) argues that in the case of high inflow, i.e. large Froude number, $Fr = U(g'H)^{-1/2}$,
7 where $U = Q(HW)^{-1}$, W is river width and H is river depth, the plume becomes unstable after 5-6
8 rotation periods. In our case, the Froude number stayed between 0.9 and 1.5 during the whole mod-
9 elling period ($W = 700$ m, $H = 7$ m). The plume was also stable in the numerical experiments of Nof
10 & Pichevin (2001) and Fong & Geyer (2002).

11
12 We estimated the movement of the bulge centre in the ideal simulation. The bulge centre moved
13 steadily to the north, completing about 8 km during nine rotation periods (Fig. 10a). As the centre
14 also moved downstream actual offshore reach of the centre was 6 km. The radius of the ideal bulge
15 increased from 4 to 9 km from 0.5T to 10T. Thus, by the end of our simulation the ratio of bulge
16 centre, y_c , to bulge radius was less than 0.7, which according to Horner-Devine et al. (2006) means
17 that the bulge does not separate from the wall and flow into the coastal current does not decrease.
18 The latter was evident from our numerical simulation with the ideal bulge.

19
20 The movement of the real bulge centre was more “chaotic” (Fig. 10b). At each one-hour timestep,
21 the bulge centre was defined if the anti-cyclonic circulation with closed streamlines existed (i.e. Fig.
22 4k). When ambient current overrode bulge circulation, the bulge centre was not defined (i.e. Fig.
23 4i), although the bulge still existed if we look at the distribution of the tracer concentration. Thus,
24 the movement of the bulge centre was not followed continuously. The main feature in the move-
25 ment of the bulge centre was offshore-onshore oscillations (Fig. 10b). This behaviour is somewhat
26 similar to bulge pinch-off described by Horner-Devine et al. (2006). Horner-Devine et al. (2006)
27 proposed the ratio of internal radius, $L_i = U/f$, to bulge Rossby radius, $L^* = L_i/L_b$, to estimate
28 bulge behaviour. In the case of the Daugava discharge, that ratio was between 0.81-1.26, which cor-
29 responds to situations where the bulge is forced offshore relative to its radius (Horner-Devine et al.
30 2006, Fig. 17d-g). In the case of a high Froude number and/or low g' (in our case 0.045 m s⁻²), the
31 bulge becomes unstable and the flow to the coastal current is reduced (Horner-Devine et al. 2006).
32 The behaviour of the Daugava river bulge from satellite images and the real numerical model simu-
33 lation (Fig. 4) showed that river water was mainly contained in the bulge and there were numerous

1 intrusions at the outer perimeter of the bulge, which is qualitatively similar to the bulge behaviour
2 in the model simulation by Horner-Devine et al. (2006, his Fig. 14).

3
4 Horner-Devine et al. (2015) summarise the results of the volume fraction going into a coastal cur-
5 rent relative to river discharge, depending on inflow Rossby number. A relatively high Rossby num-
6 ber $O \ll 1$ implies that most freshwater stays in the bulge while a lower Rossby number would imply
7 that there is less water going into the bulge and more into the coastal current. In the Daugava River
8 outflow, the inflow Rossby number varied between 3.4 and 5.7, which suggests that almost all of
9 the river water should have been trapped in the bulge. Our estimates from the numerical model cal-
10 culation showed that the fraction of river water that formed a coastal current was up to ten times
11 smaller than the amount of river water that remained in the bulge. In the ideal case, considerable
12 volume went into the coastal current, although the Q , Fr , Ro and g' were the same for ideal and real
13 model simulations.

14
15 The explanation of the discrepancy between the ideal bulge and laboratory experiments could be the
16 different behaviour of the plume in a near-field region. In a near-field region, river flow has a lift off
17 point in the location where river water detaches from the bottom and the upper layer Froude number
18 is equal to one (Horner-Devine et al., 2015). At the lift off point, vertical velocities cause shoaling
19 of the plume interface and acceleration of the upper layer flow at a more seaward region. This, in
20 turn, increases the Froude number, resulting in intense vertical mixing. In our idealized numerical
21 simulation, the lift off occurred at about 0.5 km from the river mouth (Fig. 8a). The most intensive
22 mixing started at 1 km from the coast where tracer concentrations were below the limit of the bulge
23 definition (white area in Fig. 8a and low tracer concentration in Fig 5a). The intensive mixing sup-
24 pressed horizontal flow and the current velocities were low right behind the intense mixing zone,
25 while the current velocities were higher at the left and right side of the mixing zone (Fig. 8a). Thus,
26 the intensive mixing zone created a barrier for the river water flow and splitted it into two jets. The
27 jet on the right formed a rotating bulge. As the barrier altered the flow direction, the flow angle was
28 notably smaller than 90 degrees, resulting in a bulge centre located closer to the coast (Avicola and
29 Huq, 2003b). The jet on the left remained on the outer edge of the bulge. Such a barrier region is
30 not observed in laboratory simulations. Natural buoyant river plumes have a small vertical to hori-
31 zontal aspect ratio, $O \ll 1$, where vertical turbulent flux of density is considered to be dominant
32 over horizontal turbulent fluxes (Horner-Devine et al., 2015). For laboratory simulations, the aspect
33 ratio is at least an order of magnitude smaller. Horizontal turbulence flux would be comparable in
34 magnitude with vertical mixing and a sharply separated region of intense mixing is far less likely to

1 form. In addition, in our numerical simulations, the Daugava River runoff was smeared over 5 hori-
2 zontal grid points right at the coast, which enables a better resolution of the river plume in the near
3 field than, for instance, achieved by Hetland (2005).

4
5 In the case of the realistic model simulation, wind mixing overpowered the local mixing, therefore
6 avoiding creation of the barrier region. The density-driven and wind forced background currents
7 restricted the development of a plume coastal current and pushed the river bulge offshore. As a re-
8 sult, the bulge centre was further away from the coast (see Fig. 10b).

10 **5 Conclusions**

11 Satellite TSM images showed a clearly formed river bulge from the Daugava River discharge dur-
12 ing the studied low wind period. Satellite images also confirmed anti-cyclonic rotation inside the
13 bulge. The bulge grew up to 20 km in diameter before being diluted. A high-resolution numerical
14 model simulation repeated the plume behaviour satisfactorily and enabled a detailed study of the
15 bulge dynamics. While previous studies conclude that balance in equation (3) is valid for the bulge,
16 our study showed that geostrophic balance is valid for the entire mid-field of the bulge except dur-
17 ing 1-1.5T at the beginning of the bulge formation. Comparison of realistic and idealized model
18 simulations showed a significant effect of wind-driven and density-driven circulation in the evolu-
19 tion of the river bulge, even if the wind speed was moderate.

20
21 The bulge radius was non-dimensionalized with the bulge Rossby radius. The real model simulation
22 (measured wind and realistic ambient density) and the ideal simulation with no wind and uniform
23 ambient density gave $r_b \sim t^{0.50 \pm 0.04}$ and $r_b \sim t^{0.28 \pm 0.01}$, with the coefficients of determination being
24 $R^2 = 0.90$ and $R^2 = 0.98$, respectively. The bulge spreading rates agree well with laboratory experi-
25 ments ($\sim t^{1/4}$ by Horner-Devine et al. (2006)) and fit in the margin of the Niagara River bulge study
26 ($\sim t^{0.46 \pm 0.29}$ by Horner-Devine et al. (2008)).

27
28 Mean depth and radius as well as the volume were larger for the realistic model bulge than for the
29 idealized bulge. River bulge behaviour from satellite images and the real numerical model simula-
30 tion showed that river water is mainly contained in the bulge and there were numerous intrusions at
31 the outer perimeter of the bulge caused by prevailing upwelling favourable and onshore winds. The

1 fraction of river water that formed a coastal current was up to ten times smaller than the amount of
2 river water that remained in the bulge.

3
4 In the ideal simulation, considerable volume went into the coastal current, although the Q , Fr , Ro
5 and g' were the same for ideal and real model simulations. The ideal numerical model simulation
6 showed that in the case of high inflow Rossby number the river inflow might split into two jets in
7 the plume near field region, with a strong mixing zone in-between. Although the ideal and real
8 bulges were similar, the splitting of the outflow into two jets caused the bulge centre to be closer to
9 the coast in the case of the ideal bulge than in the case of the real bulge.

10

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17

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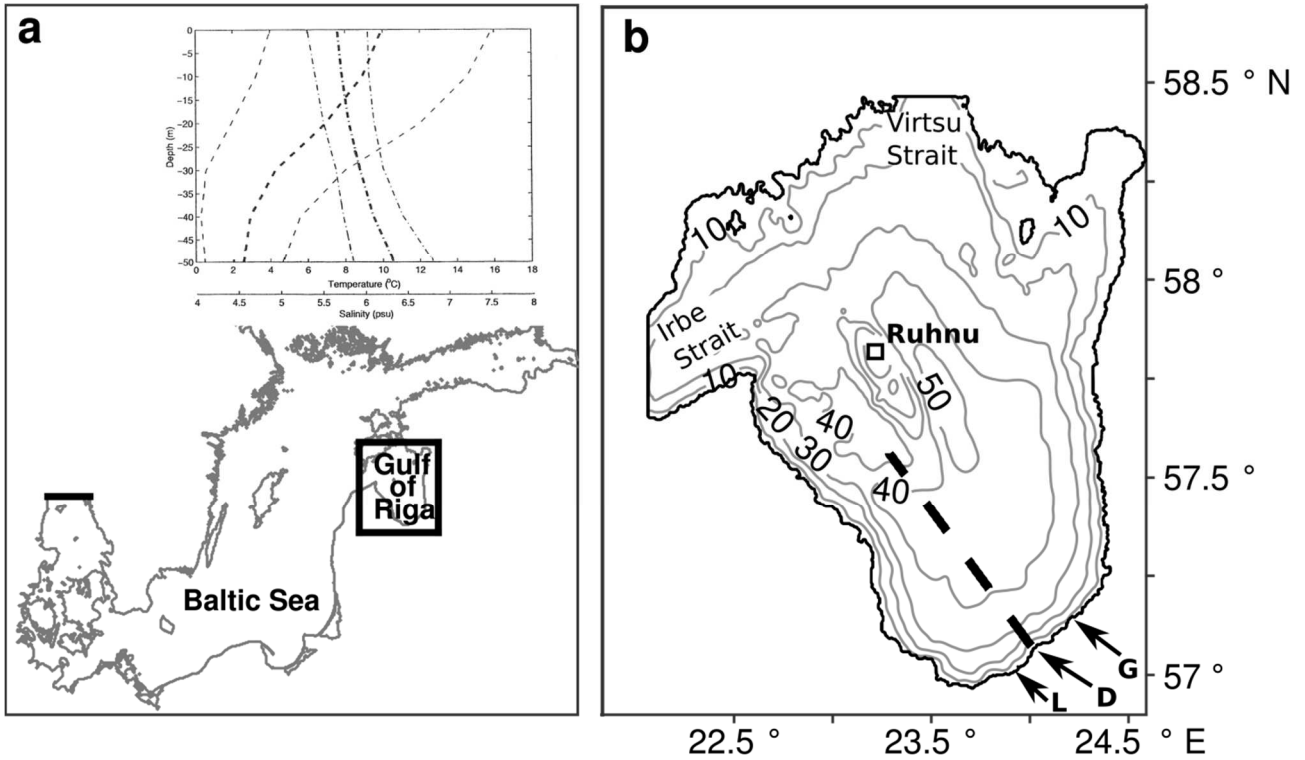
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5 **Figures**

6

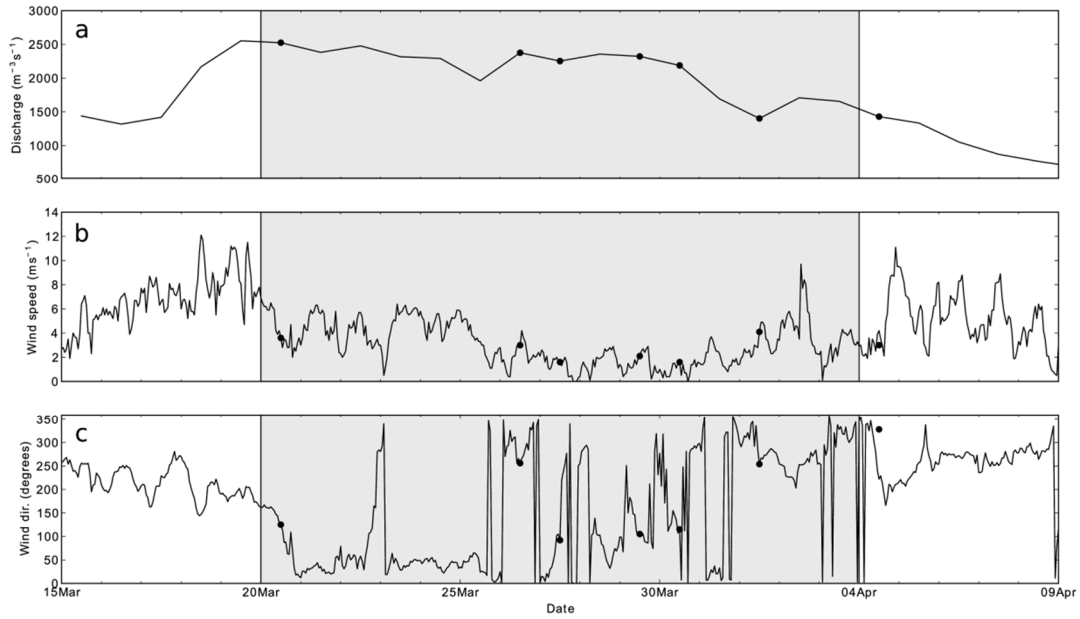


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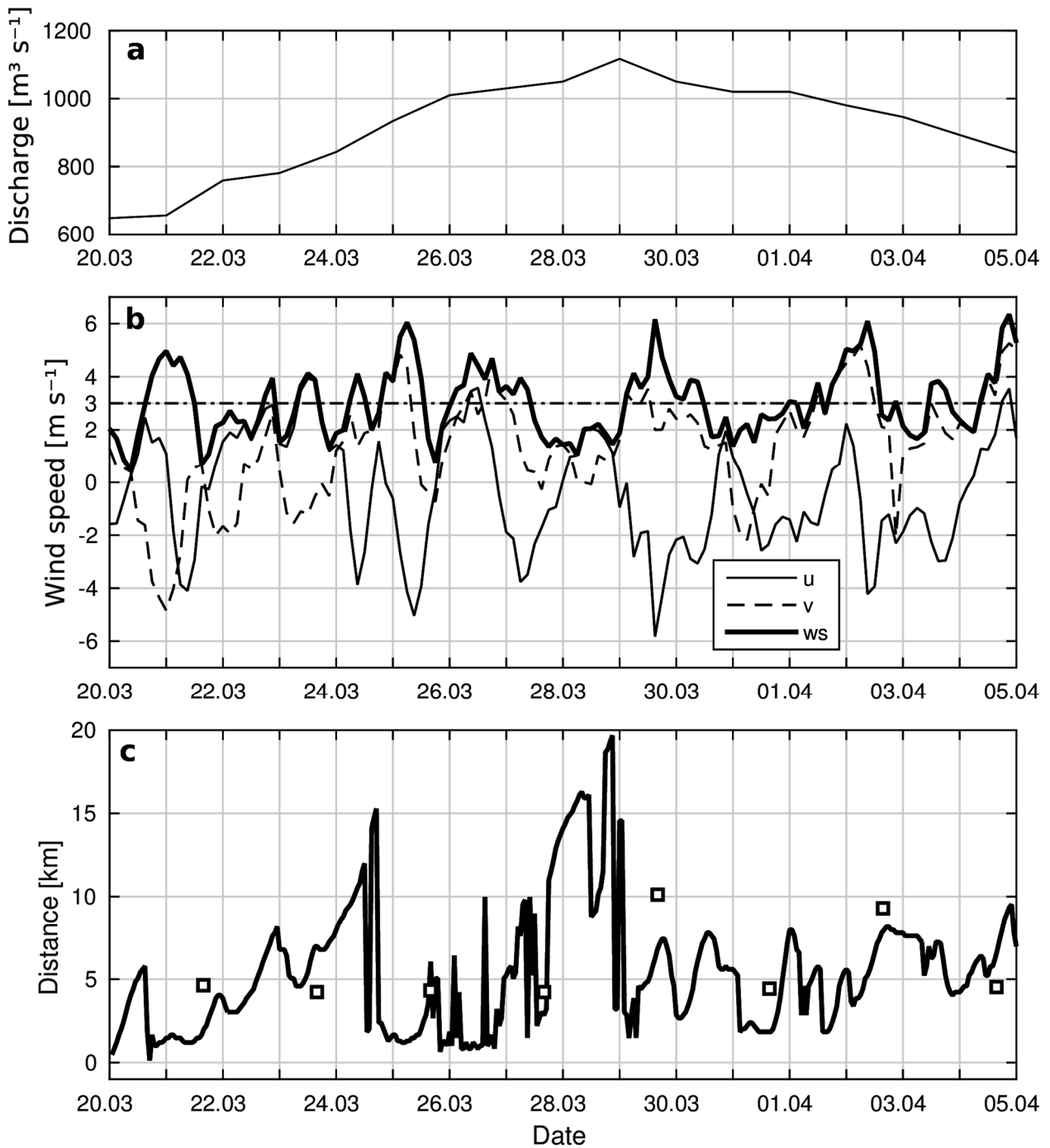
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9 Figure 1. Map showing the location of the Gulf of Riga in the Baltic Sea (a). Embedded are mean
10 (bold) temperature (dashed) and salinity (dash dotted) profiles with standard deviations (thin)
11 from the central Gulf of Riga (adopted from Raudsepp, 2001). Topography of the Gulf of Riga (b). Ar-
12 rows mark river mouth locations for the Daugava (D), Lielupe (L) and Gauja (G) rivers. The square
13 shows the location of the weather station. Bold dashed line shows the transect of ferry-box meas-
14 urements used for the model validation.

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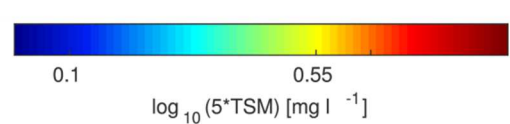
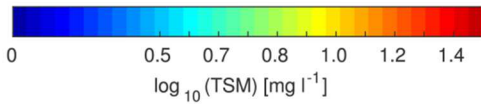
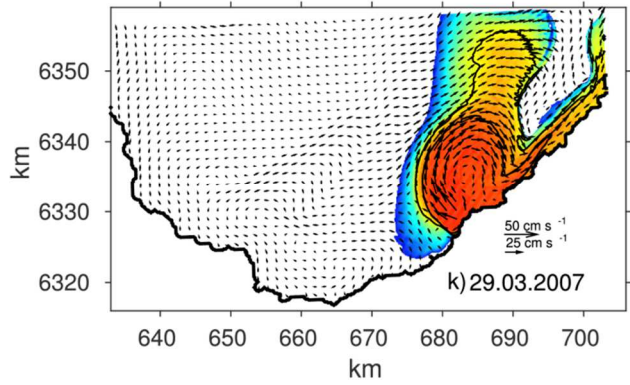
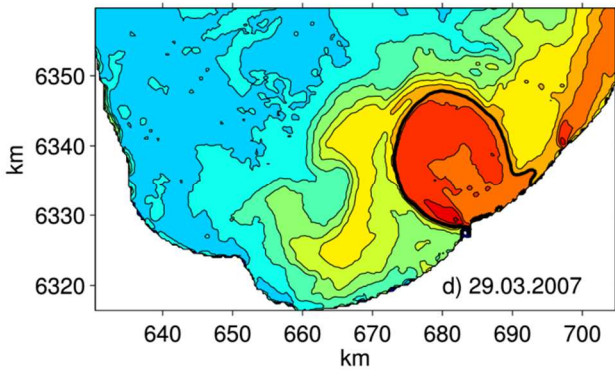
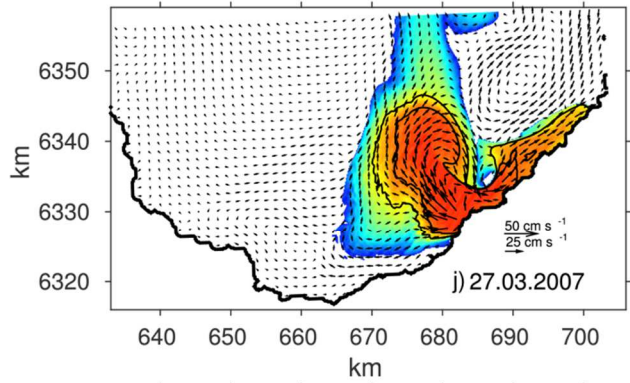
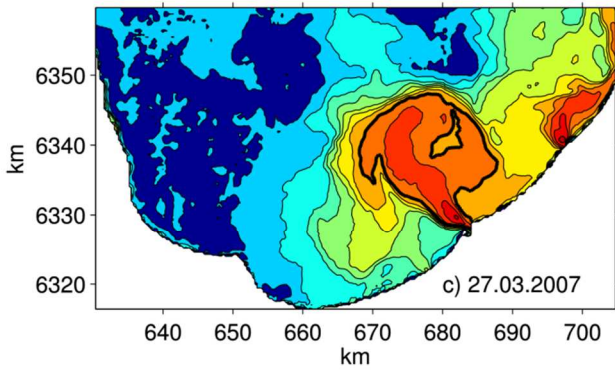
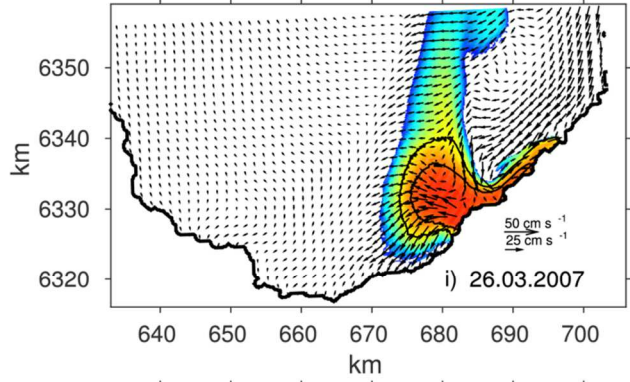
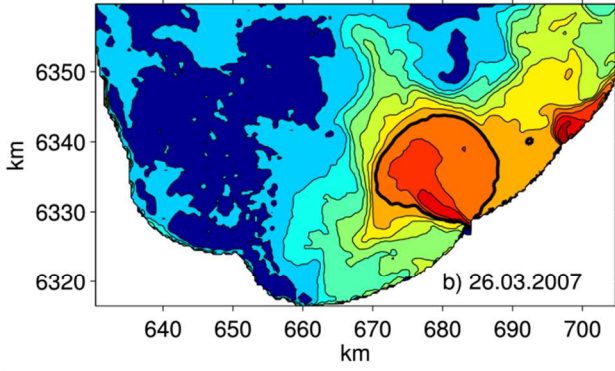
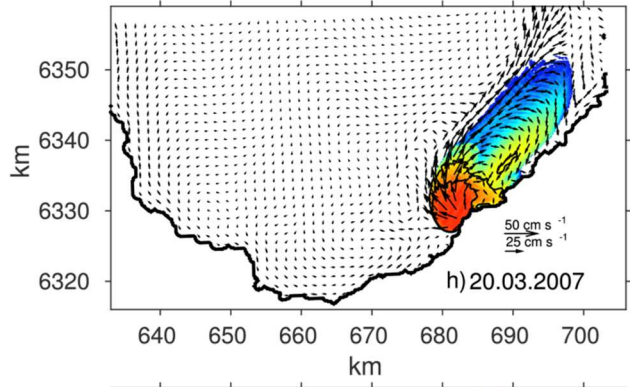
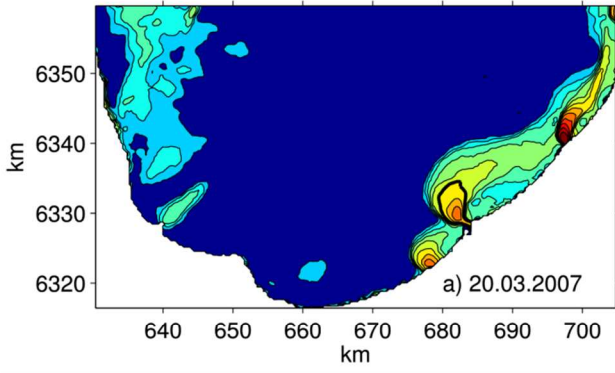


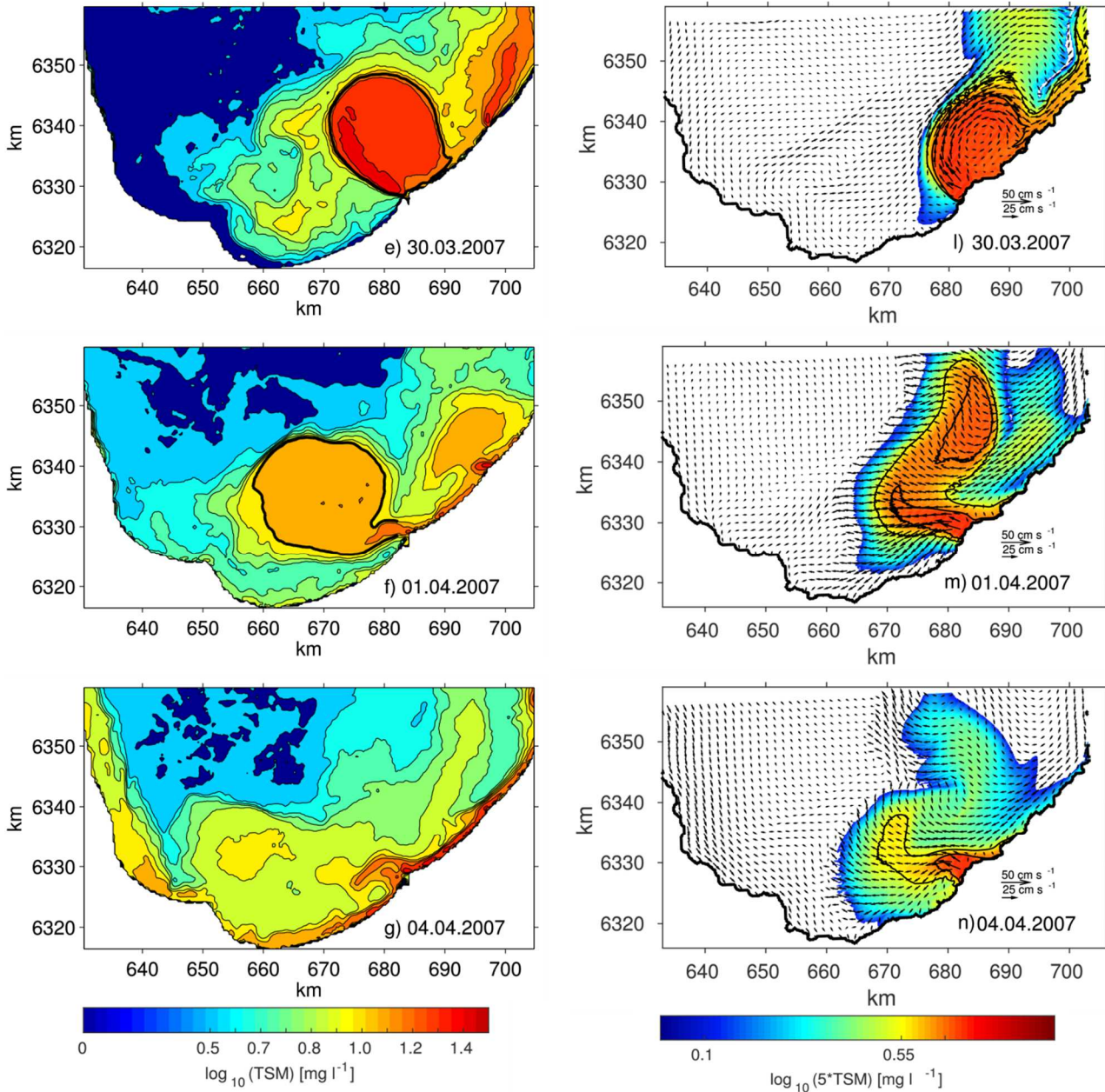
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 3 Figure 2. Time series of daily mean Daugava River discharge (a), hourly wind speed (b) and wind
 4 direction (c) measured at Ruhnu weather station. Black dots show time instants when satellite imag-
 5 es were acquired. The gray area marks the period between the first and last available satellite image
 6 from the study period (March 20 to April 4).
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 2 Figure 3. Time series of (a) daily mean Daugava River discharge; (b) 3-hour wind speed (bold), east
 3 (solid) and north (dashed) wind components from the HIRLAM-ETA dataset at Ruhnu Island, and 3
 4 m s^{-1} wind speed (dash dotted); (c) offshore location of the maximum salinity gradient from model
 5 (solid) and ship measurements (open square) for the period from 20 March to 5 April 2014. Dis-
 6 tance is measured along the ship track from the mouth of the Daugava River.

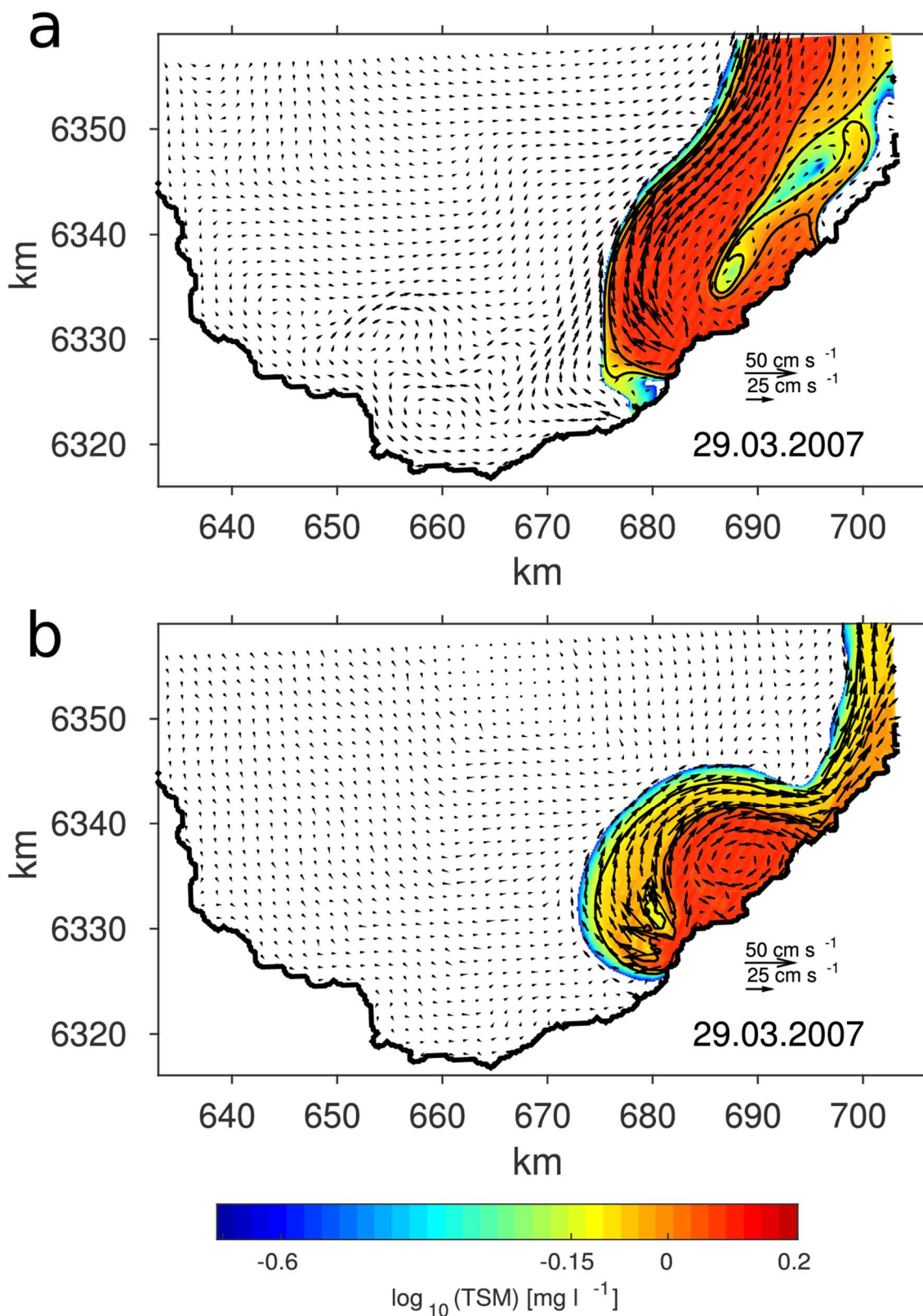
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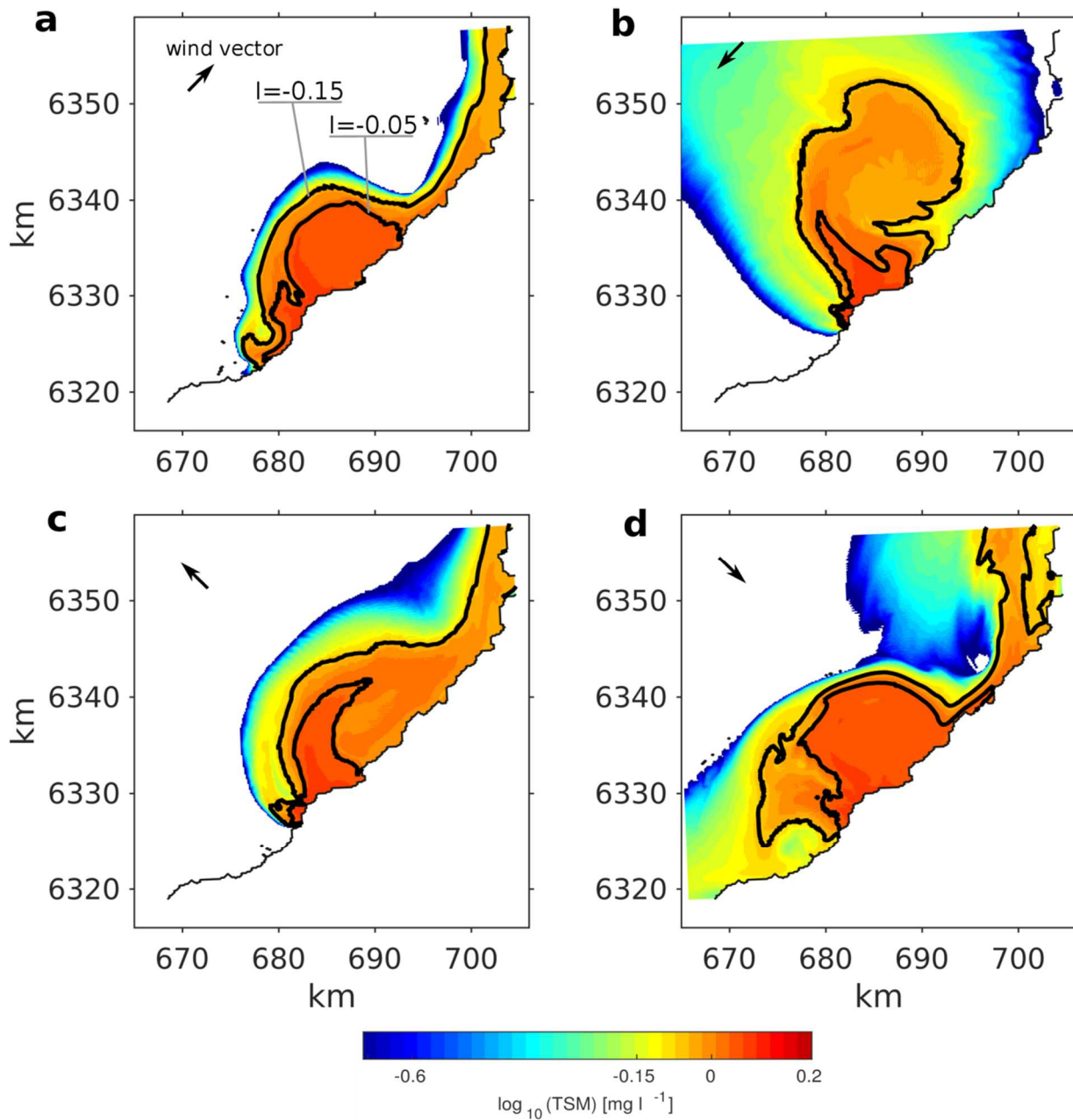


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Figure 4. TSM concentration maps for the southern part of the Gulf of Riga from satellite images (left column) and TSM concentration and surface velocity maps from the numerical simulation (right column). Bold contour on satellite images shows the indicative edge of the Daugava River bulge. Black contours on the numerical model simulation maps represent TSM concentrations of $\log_{10}(\text{TSM})=-0.15$ and $=-0.05$. The former is used for the determination of the Daugava River bulge. The coordinate system is on the UTM-34v projection. (Cont)

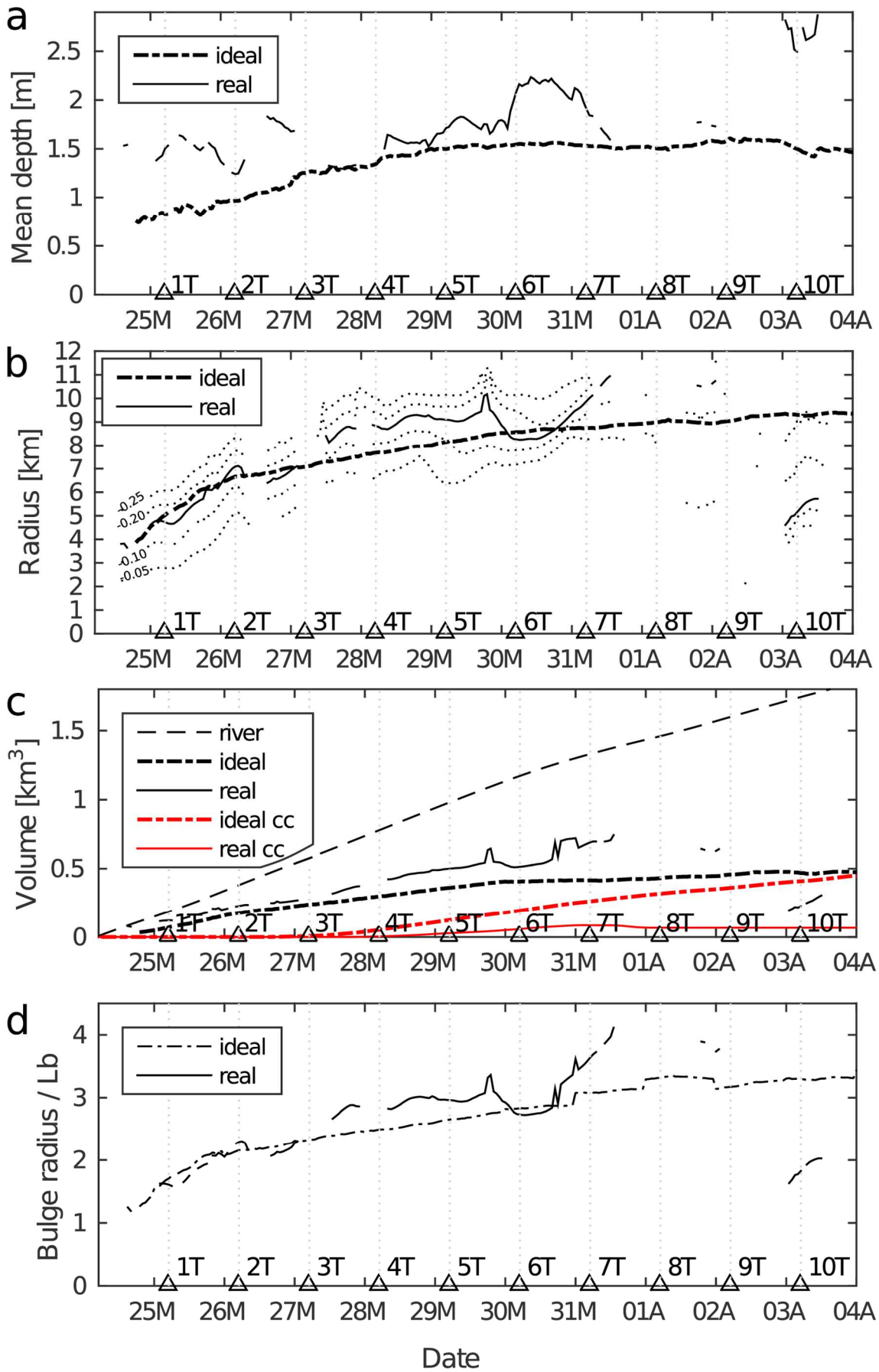


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 2 Figure 5. Instantaneous surface velocity and TSM concentration maps for simulation with realistic
 3 ambient density and no wind forcing (a) and idealized model simulation with uniform ambient den-
 4 sity and no wind forcing (b) at noon on 29 March 2007. Solid lines represent TSM concentrations of
 5 $\log_{10}(\text{TSM})=-0.15$ and $=-0.05$. The coordinate system is on the UTM-34v projection.
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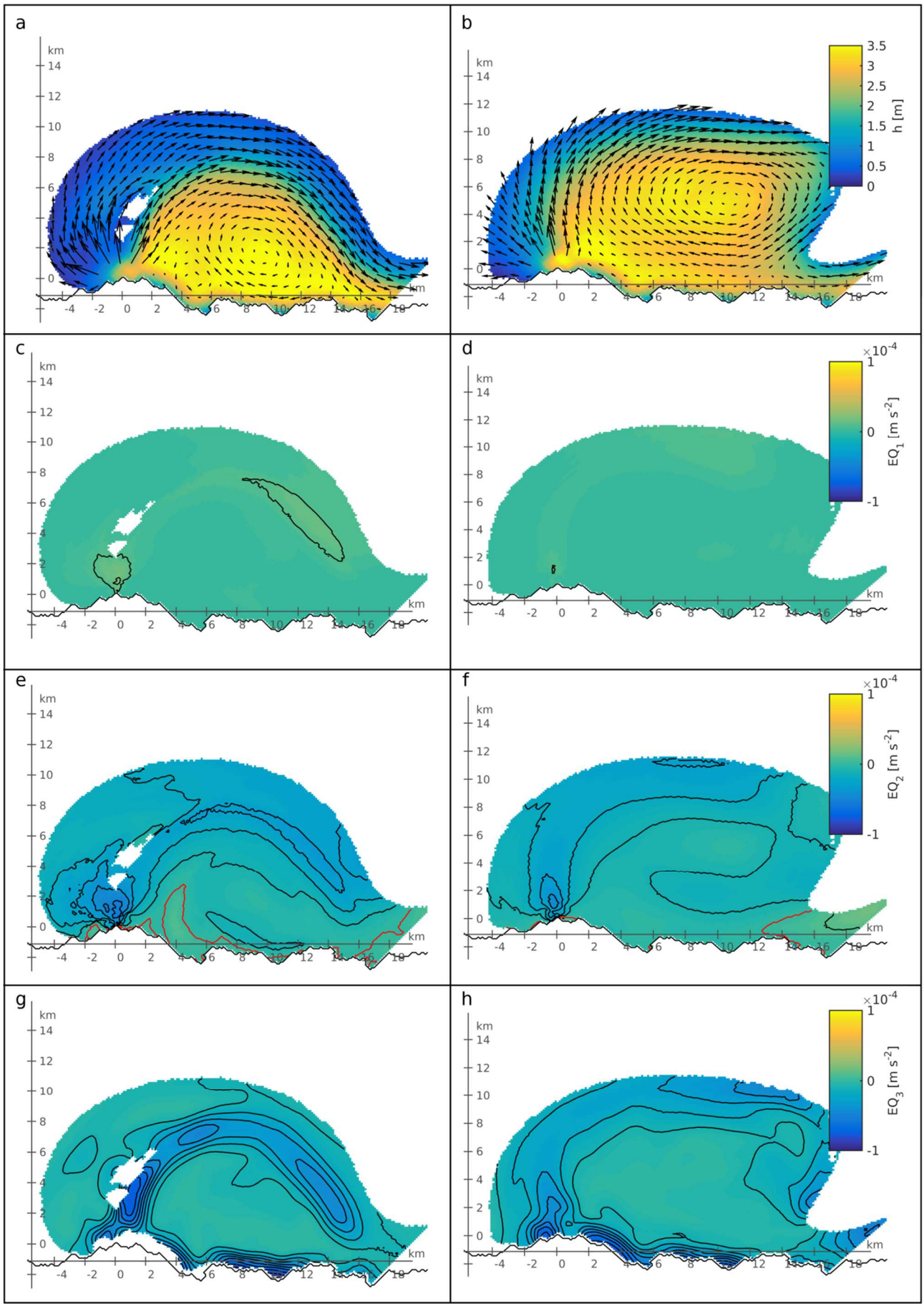


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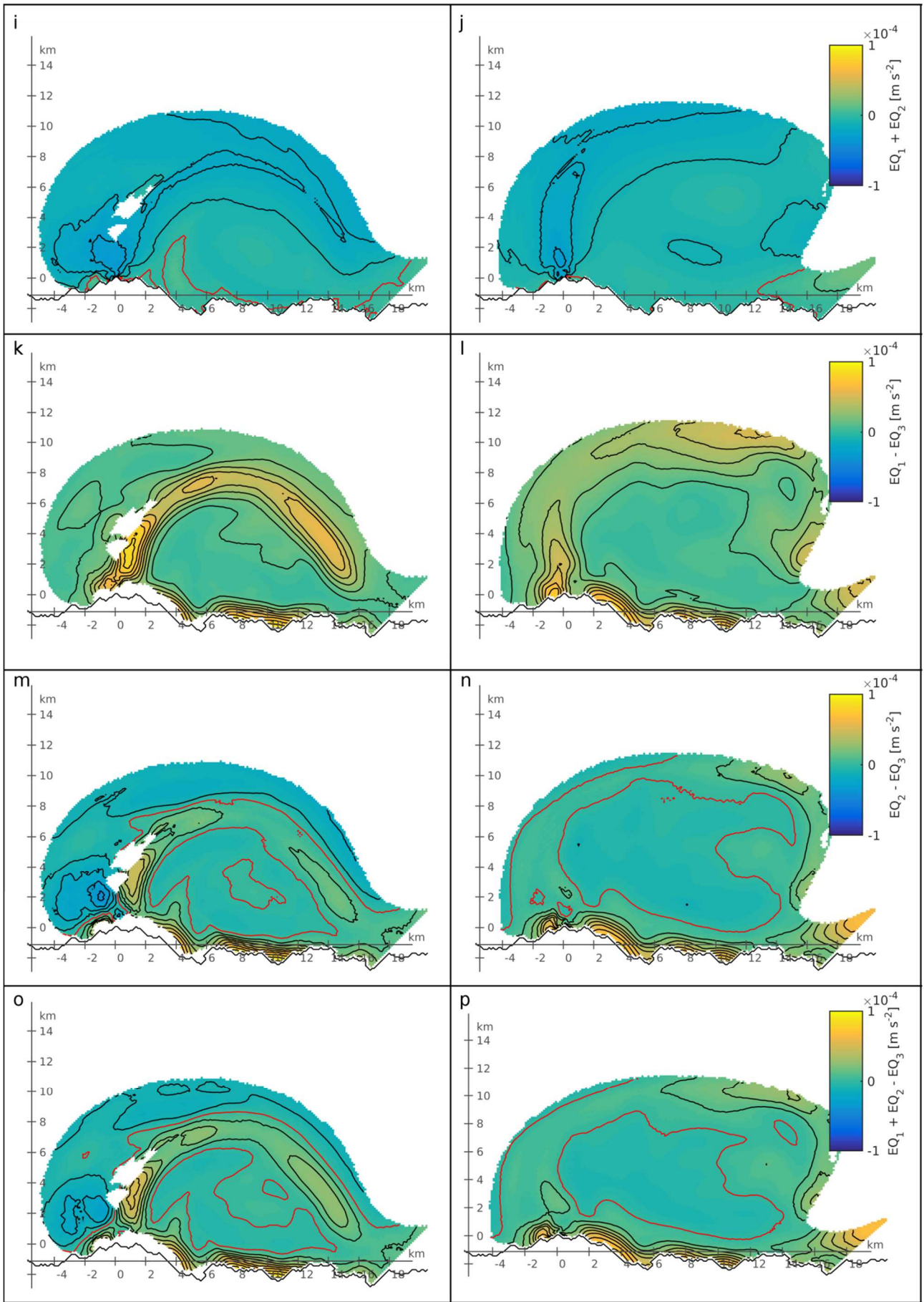
Figure 6. Instantaneous surface TSM concentration maps for simulation with uniform ambient density and a constant wind speed of 4 m s⁻¹ blowing in a downstream (a), upstream (b), offshore (c) and onshore (d) direction at 6T from the start of the simulation. Solid lines represent TSM concentrations of $\log_{10}(\text{TSM}) = -0.15$ and -0.05 . The coordinate system is on the UTM-34v projection.



1 Figure 7. Time series of the Daugava River bulge mean depth (a), bulge radius (b), bulge volume (c)
2 and the bulge effective radius scaled with bulge Rossby radius (d). The solid line represents the real
3 model simulation and the dash-dotted line the idealized model simulation. Time series of the bulge
4 radius where bulge is defined $I = \log_{10}(TSM) > -0.05; -0.10; -0.20; -0.25$ (dotted) (b). Time series of
5 cumulative river water (dashed), bulge volume (black) and volume of the coastal current (red) in the
6 real model simulation (solid) and ideal model simulation (dash-dotted) (c). Triangles represent the
7 rotation period of the earth starting from 24 March 2007 05:00.
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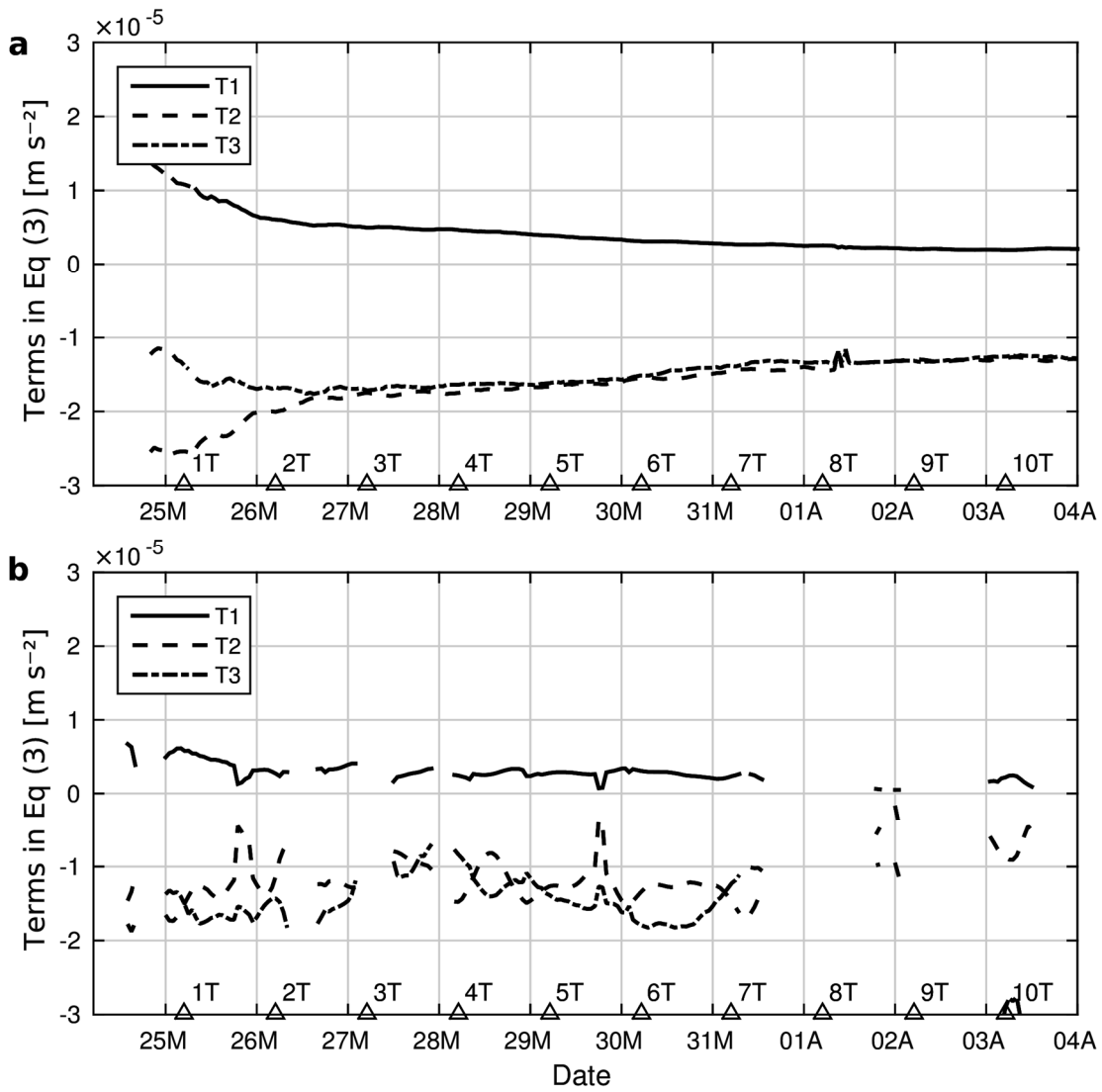


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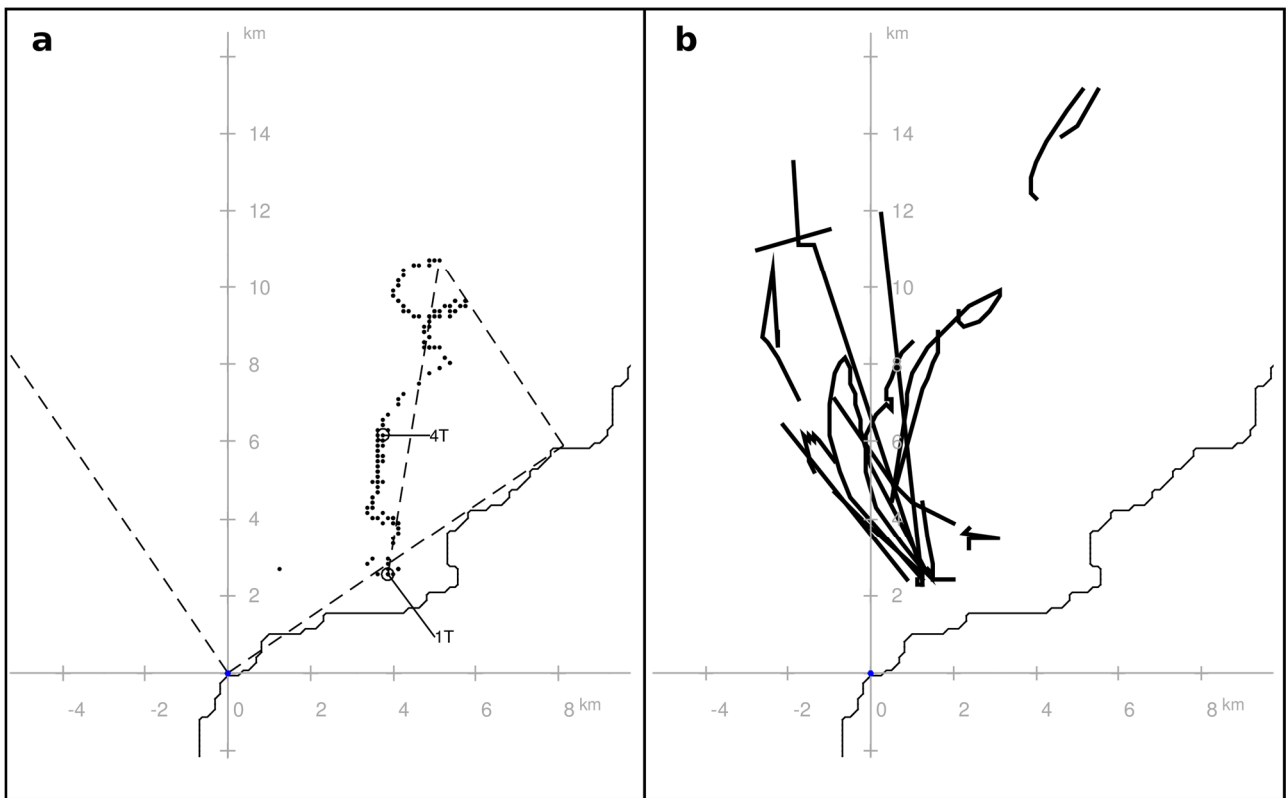


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1 Figure 8. Bulge depth and depth averaged velocities, the terms (T_1 , T_2 , T_3) of the balance (see Eq.
2 (3)) and the combinations of the terms for idealized (left column) and realistic (right column) model
3 simulations on 29 March 2007 at 20:00. Bulge depth and depth averaged velocities (a-b), centrifugal
4 term (T_1) (c-d), Coriolis term (T_2) (e-f), pressure gradient term (T_3) (g-h), T_1+T_2 (i-j), T_1-T_2 (k-
5 l), T_2-T_3 (m-n) and $T_1+T_2-T_3$ (o-p). The contour interval is 1 m s^{-2} . The red isoline represents zero.
6 The blank area within the bulge is where the tracer concentrations were below the threshold values
7 of the bulge definition (*see text for bulge definition*). The origin of the coordinate system is at the
8 mouth of the Daugava River. True north is shown with the arrow. (*Cont.*)
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 2 Figure 9. Time series of spatially averaged momentum balance terms (see Eq. (3)): centrifugal term
 3 (T₁) (solid), Coriolis term (T₂) (dashed), pressure gradient term (T₃) (dash dotted) for ideal (a) and
 4 real bulge (b). Triangles represent the rotation period of the earth starting from 24 March 2007
 5 05:00.
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Figure 10. The trajectories of the bulge centre for the idealized simulation (a) and the realistic simulation (b) from 24 March 2007 05:00 to 5 April 2007 00:00. Each dot shows the location of the bulge centre at hourly intervals. Dashed lines show the normal and tangent to the coastline, distance of the bulge centre from the location at 1T up to the end of the simulation, the distance of the bulge centre at the end of the simulation to the coast in the direction of the normal to the coast. 1T and 4T show the location of the bulge centre after one and four rotation periods of the earth starting from 24 March 2007 05:00 (a). Discontinuities in the bulge trajectories for the realistic model simulation exist because the bulge centre was defined only if anti-cyclonic circulation with closed streamlines was present (b).